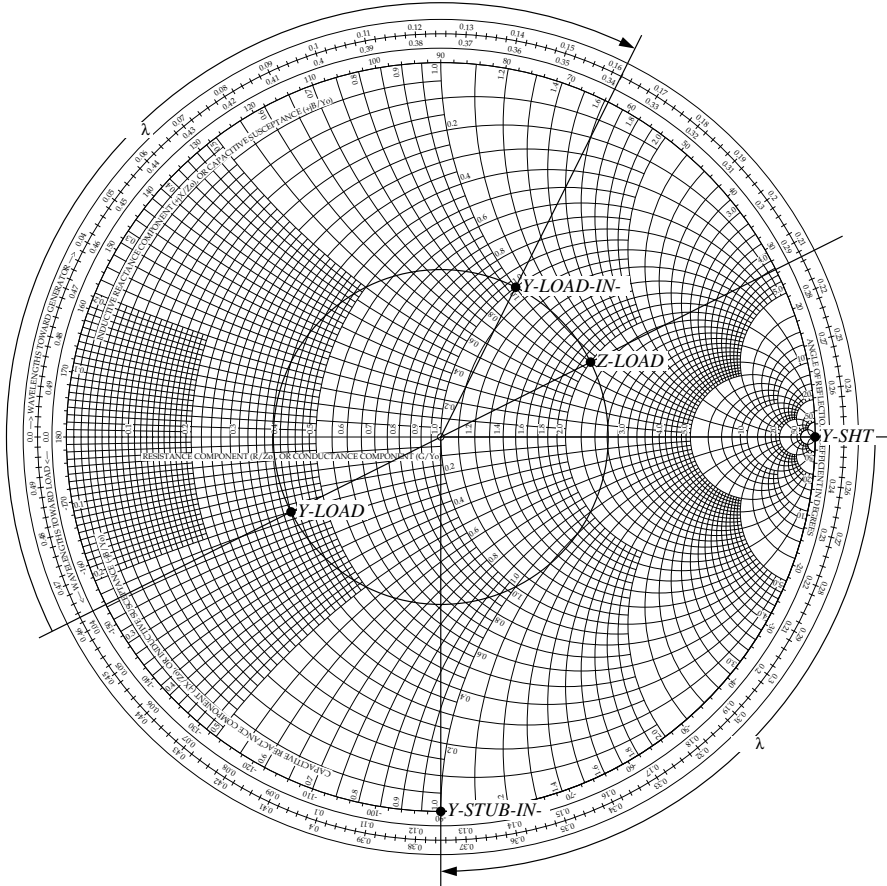


**2.69** Repeat Problem 2.68 for a load with  $Z_L = (100 + j50) \Omega$ .



**Figure 2.69:** (a) First solution to Problem 2.69.

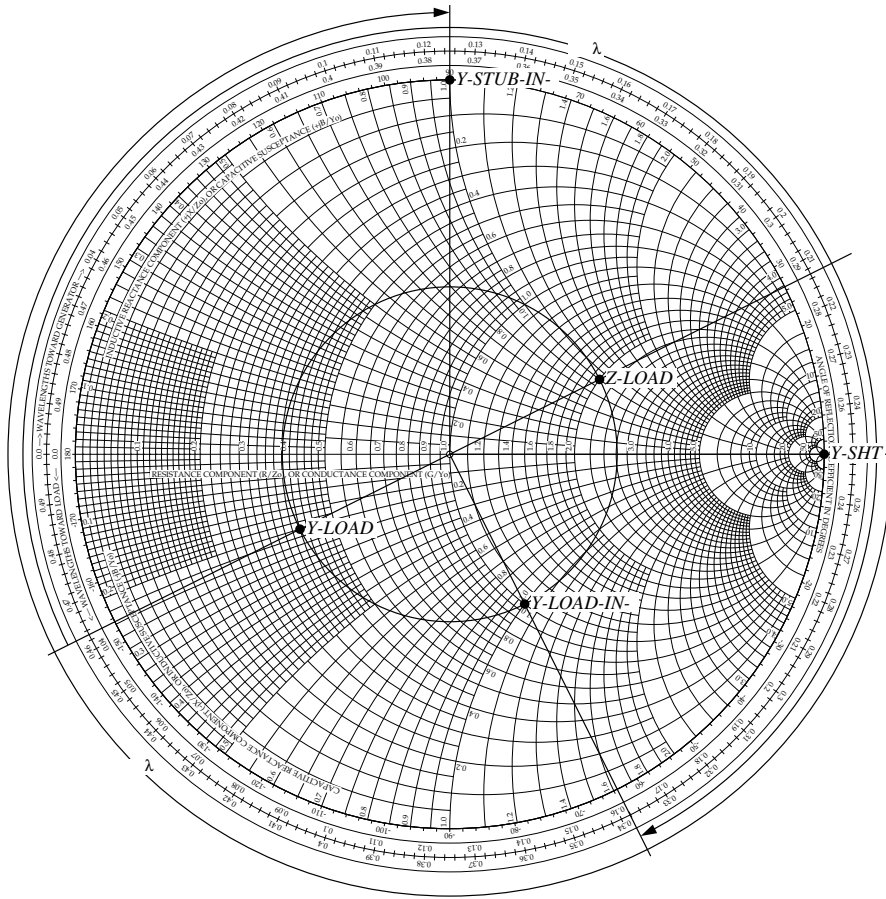
**Solution:** Refer to Fig. P2.69(a) and Fig. P2.69(b), which represent two different solutions.

$$z_L = \frac{Z_L}{Z_0} = \frac{100 + j50 \Omega}{50 \Omega} = 2 + j1$$

and is located at point *Z-LOAD* in both figures. Since it is advantageous to work in admittance coordinates,  $y_L$  is plotted as point *Y-LOAD* in both figures. *Y-LOAD* is at  $0.463\lambda$  on the WTG scale.

For the first solution in Fig. P2.69(a), point *Y-LOAD-IN-1* represents the point at which  $g = 1$  on the SWR circle of the load. *Y-LOAD-IN-1* is at  $0.162\lambda$  on the

WTG scale, so the stub should be located at  $0.162\lambda - 0.463\lambda + 0.500\lambda = 0.199\lambda$  from the load (or some multiple of a half wavelength further). At  $Y\text{-LOAD-IN-1}$ ,  $b = 1$ , so a stub with an input admittance of  $y_{\text{stub}} = 0 - j1$  is required. This point is  $Y\text{-STUB-IN-1}$  and is at  $0.375\lambda$  on the WTG scale. The short circuit admittance is denoted by point  $Y\text{-SHT}$ , located at  $0.250\lambda$ . Therefore, the short stub must be  $0.375\lambda - 0.250\lambda = 0.125\lambda$  long (or some multiple of a half wavelength longer).



**Figure P2.69:** (b) Second solution to Problem 2.69.

For the second solution in Fig. P2.69(b), point  $Y\text{-LOAD-IN-2}$  represents the point at which  $g = 1$  on the SWR circle of the load.  $Y\text{-LOAD-IN-2}$  is at  $0.338\lambda$  on the WTG scale, so the stub should be located at  $0.338\lambda - 0.463\lambda + 0.500\lambda = 0.375\lambda$  from the load (or some multiple of a half wavelength further). At  $Y\text{-LOAD-IN-2}$ ,  $b = -1$ , so a stub with an input admittance of  $y_{\text{stub}} = 0 + j1$  is required. This point

is  $Y\text{-}STUB\text{-}IN\text{-}2$  and is at  $0.125\lambda$  on the WTG scale. The short circuit admittance is denoted by point  $Y\text{-}SHT$ , located at  $0.250\lambda$ . Therefore, the short stub must be  $0.125\lambda - 0.250\lambda + 0.500\lambda = 0.375\lambda$  long (or some multiple of a half wavelength longer).

---